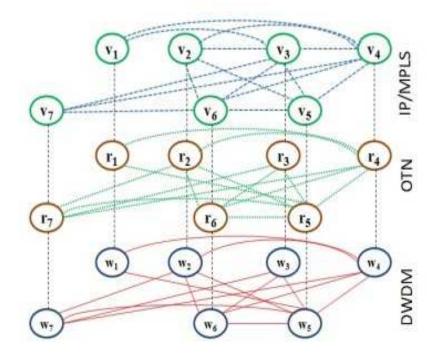
A Study on Layer Correlation Effects Through a Multilayer Network Optimization Problem

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Main Contributions and Problem Considered

- IP/MPLS over OTN over DWDM network optimization model.
- Three-layer modeling.
- OTN sublayer technological constraints explicitly considered.
- Layers' modularity.
- Comprehensive study.
 - Varying layers' costs and parameters to understand the correlation effects between the layers.



Presentation Outline

- Introduction.
 - OTN Overview.
 - Motivation.
 - Related Work.
- IP/MPL and OTN Layer Correlation Effects.
 - Scope of Study.
 - Three-layer Design Model.
 - Study and Results.
 - Summary.

What is OTN?

- Optical Transport Network.
- A new-generation transmission layer technology.
- Large-granule broadband service transmissions.
- A "digital wrapper" layer.
- Efficient multiplexing and switching of high-bandwidth signals.

OTN Signals

- Optical Data Unit (ODU) layer.
- ODU_k Multiplexing.

U_k Signal	Bit-Rate (Gbps)	Max. U_k s in a wavelength
U_0	1.25	80
U_1	2.5	40
U_2	10	10
U_3	40	2
U_4	100	1

Research Motivation

- Problems with 2-layer architectures.
 - IP/MPLS over point-to-point WDM.
 - EOE conversion.
 - Routers' capacity heavily consumed by forwarding services.
 - More time to detect failure at WDM.
 - IP/MPLS over WDM (with OXCs).
 - No explicit consideration for the technological constraints of the middle layer.
- Our approach:
 - Three-Layer IP/MPLS over OTN over WDM.
 - Separates the logical from the physical topologies.
 - Explicitly consider the OTN layer.

Related Work I

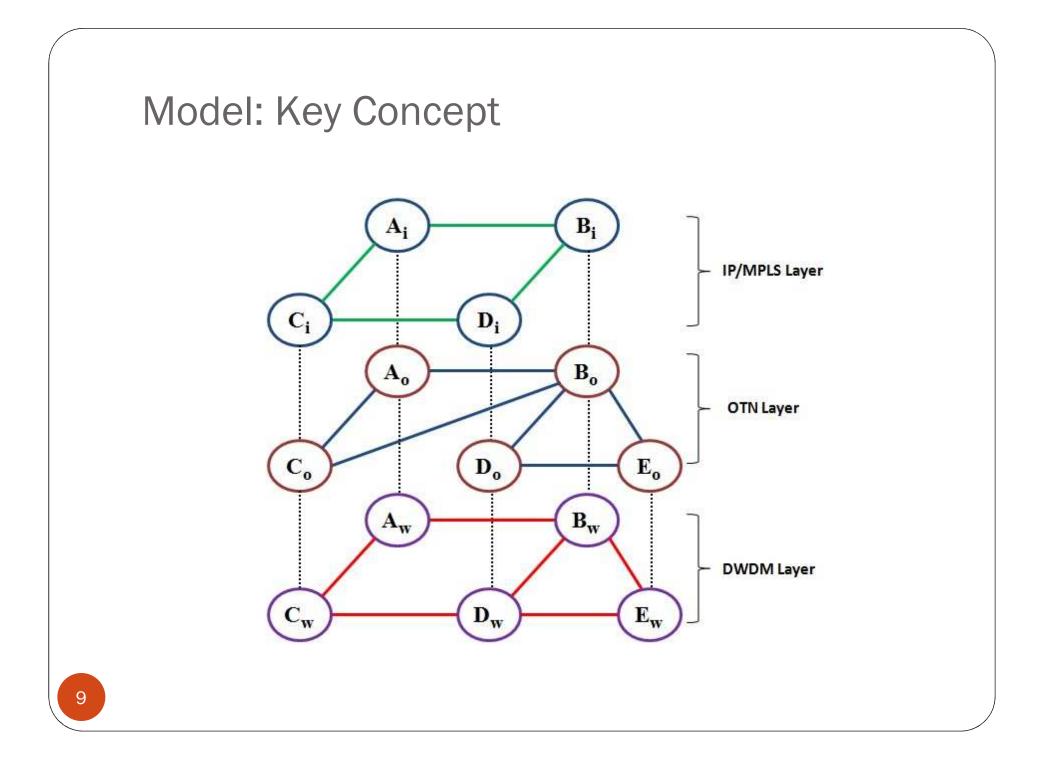
- OTN:
 - G.709 Hierarchy Optical Transport Core Network Design, Requirements and Challenges. [Nee Ben Gee(2009)]
 - Interworking of IP and OTN networks making IP over OTN a reality. [Nowell(2009)]
 - Optical transport networks: From all-optical to digital. [Puglia(2009)]

Related Work II

- Multilayer Networks:
 - IP over SONET. [J. Manchester(1998)]
 - Cost comparison of IP/WDM vs. IP/OTN for European backbone networks. [I. Tsirilakis(2005)]
 - Survivable MPLS Over Optical Transport Networks: Cost and Resource Usage Analysis. [W. Bigos(2007)]
 - Dynamic LSP Routing in IP/MPLS over WDM Networks. [S. Koo(2006)]
 - Two design problems for the IP/MLPS over WDM networks. [E. Kubilinskas(2005)]

> The OTN layer has not been explicitly considered.

No work found on Three-Layer networks in which the technological constraints of the middle sub-layer are explicitly considered.



Notations I

Indices:

D: Set of demands between source-destination pairs of the IP/MPLS layer.

 P_d : Set of candidate paths for demand $d \in D$.

E: Set of links in the IP/MPLS layer.

 Q_e : Set of candidate paths at the OTN layer for $e \in E$.

G: Set of links in the OTN layer.

 Z_g : Set of candidate paths of DWDM layer for for $g \in G$.

F: Set of links at the DWDM layer.

 $K = \{1, 2, 3\}$: Set of modular interfaces of OTN link g.

Constants:

 h_d : Volume of demand $d \in D$.

 δ_{edp} : =1 if link *e* belongs to path *p* realizing demand *d*; 0, otherwise.

 γ_{geq} : =1 if link g belongs to path q realizing capacity of link e; 0, otherwise.

 ϑ_{fgz} : =1 if link f belongs to path z realizing capacity of link g; 0, otherwise.

M: Module size for IP/MPLS layer.

 U_k : Module size for OTN layer capacities $k \in K$.

N: Module size for DWDM layer link capacities.

 η_e : Cost of one capacity unit of module M of the IP/MPLS layer link e.

 β_{gk} : Cost of one capacity unit of module type U_k of the OTN layer link g.

 α_{gkz} : Routing cost of the DWDM layer.

 b_f : Number of modules N to be installed on link f in the DWDM layer (non-negative integral).

Notations II

Variables:

 x_{dp} : IP/MPLS flow variable realizing demand d allocated to path p (non-negative, binary).

 m_{eq} : OTN flow variable allocated to path q realizing capacity of link e (non-negative integral).

 s_{gkz} : DWDM flow variable allocated to path z realizing capacity of link g of interface k (non-negative integral).

 y_e : Number of modules M to be installed on link e in the IP/MPLS layer (non-negative integral).

 w_{gk} : Number of modules U_k to be installed on link g in the OTN layer (non-negative integral).

Constraints

$$\sum_{p=1}^{P_d} x_{dp} = 1, \qquad d \in D \tag{1}$$

$$\sum_{d \in D} h_d \sum_{p \in P_d} \delta_{edp} x_{dp} \le M y_e, \qquad e \in E$$

(2)

$$\sum_{q \in Q_e} m_{eq} = y_e, \qquad e \in E \tag{3}$$

$$M\sum_{e\in E}\sum_{q\in Q_e}\gamma_{geq}m_{eq} \le \sum_{k\in K}U_kw_{gk} \qquad g\in G \qquad (4)$$

$$\sum_{z \in Z_g} s_{gkz} = w_{gk}, \qquad k \in K \quad g \in G \tag{5}$$

$$\sum_{g \in G} \sum_{k \in K} U_k \sum_{z \in Z_g} \vartheta_{fgz} s_{gkz} \le N b_f, \qquad f \in F$$
(6)

Capacity of OTN layer

Demand on OTN layer

IP/MPLS layer

Demand on DWDM layer

Capacity of DWDM layer

Objective Function

• Optimization problem (**P**) can be written as:

Minimize
$$\sum_{e \in E} \eta_e y_e + \sum_{g \in G} \sum_{k \in K} \beta_{gk} w_{gk} + \sum_{g \in G} \sum_{k \in K} \sum_{z \in Z_g} \alpha_{gkz} s_{gkz}$$

subject to the set of constraints (1)–(6).

• Optimal Solution gives the minimum numbers of capacity modules (IP/MPLS layer), and OTN signals (OTN layer).

Scope of Study

When DWDM capacity is fixed:

- How do the IP-cost and size of M influence the types and numbers of U_k signals at the OTN layer?
- What role does the size of *M* play on each layer and on the overall cost?
- How does the cost of each U_k scenario affect the final types and numbers of U_k s needed to satisfy a given set of demands?
- How does increasing the demands load affect the OTN layer?

Study and Results

Parameters Values:

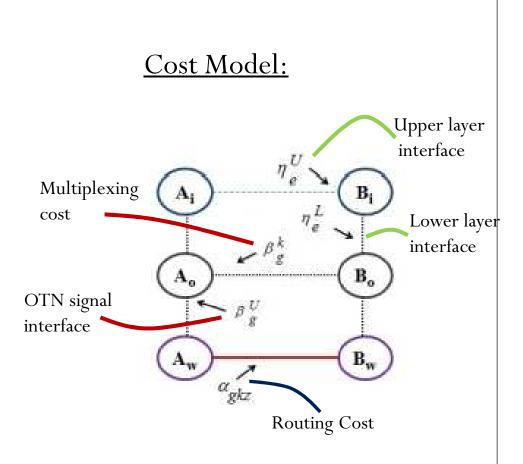
 $lpha_{gkz}$ 10 % of the U1 cost.

 U_1 , U_2 , and U_3 are considered.

Cost ratio of network elements: Transponder, IP/optical interface, OXC: 8,0.5,1 → case1

Another cost ratio of network elements: 1, 8, 0.5 → case3

IP cost reduced by $50\% \rightarrow case2$



U_k-cost relationships

UK-cr1: 2 $U_k = U_{k+1}$ UK-cr2: 3 $U_k > U_{k+1}$ UK-cr3: 3 $U_k = U_{k+1}$

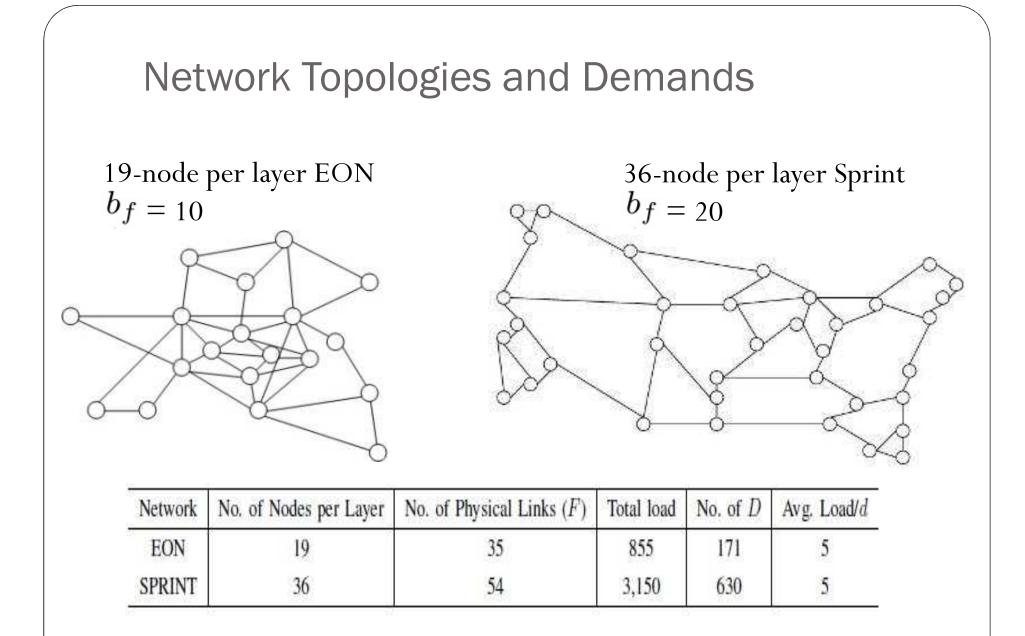
	Unit Cost Values								
Cost Notation	Case1	Case2	Case3						
IP-cost (η_e)	3	9	17						
U_k -cost (β_{gk})	3/6/12,	2/4/8,	2/4/8,						
08 8 8 000	3/7/18,	2/5/12,	2/5/12,						
	3/9/27	2/6/18	2/6/18						

Avoid unrealistic U_k-cost relationships:

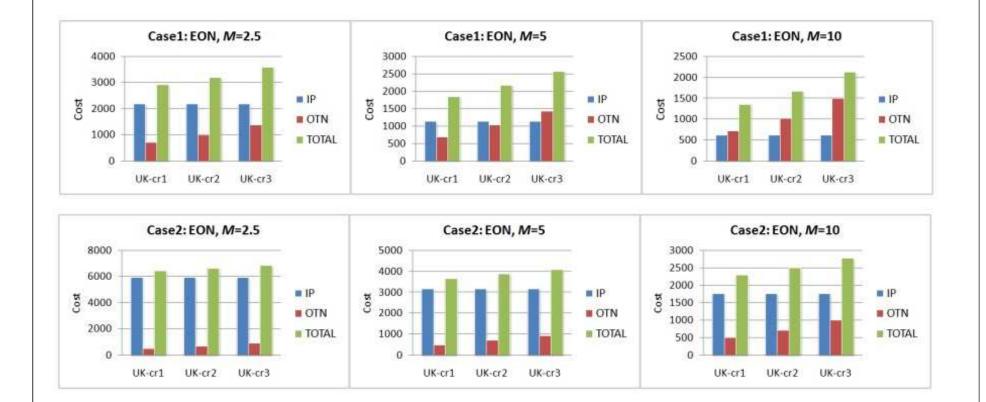
 $U_k = U_k + 1$ E.g. $1U_1 = 1U_2$ (equal cost of two different signals)

or $4U_k = U_k + 1$ E.g. $4U_2 = U_3$ (follows a multiplexing rule)

or $4U_k > U_k + 1$ E.g. $4U_2 > U_3$ (U_2 will never be used)

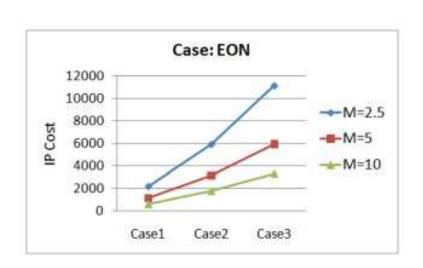


Interrelated Cost of Both Layers

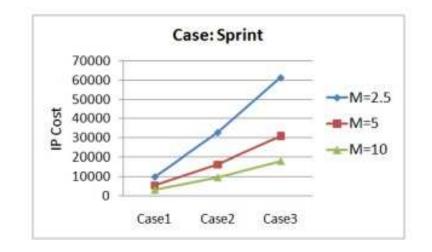


The influential cost depends on the relationship between the IP-cost and the U_k cost, and on the value of M.

The OTN cost is negligible except in Case1 when the IP/optical interface is relatively cheap, M is equal or above the average demand, and U_k -cost: UK-cr3.

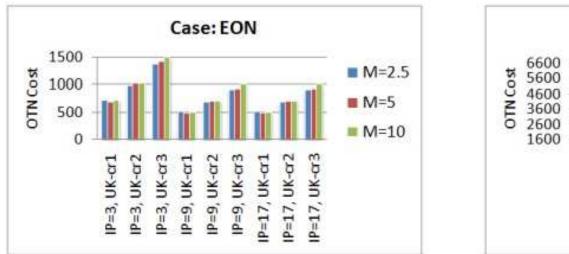


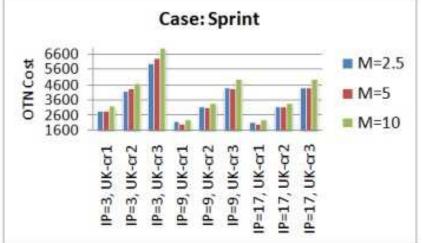
IP Cost



Always M=10 is best to minimize the total IP-cost.

OTN Cost

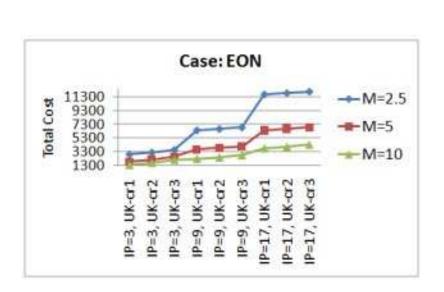




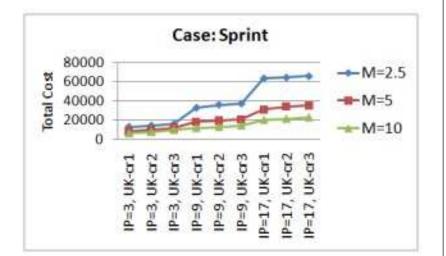
•*M* below or equal the average demand is the best choice when the goal is to minimize the OTN layer cost.

•Note the close cost values of Case2 and Case3.

•Reducing the IP/optical interface by 50% does not have a significant impact on the OTN overall cost for the same Uk-cost. (It may effect the signals type and number though).



Total Cost



•M= 10 has the best cost performance.

•Note the close performance for Case1.

•As we increase the IP unit cost we see the performance difference is increasing.

•This is largely because of the increasing IP unit cost that is the dominant cost in most cases.

Table Summary of U_k s

EON

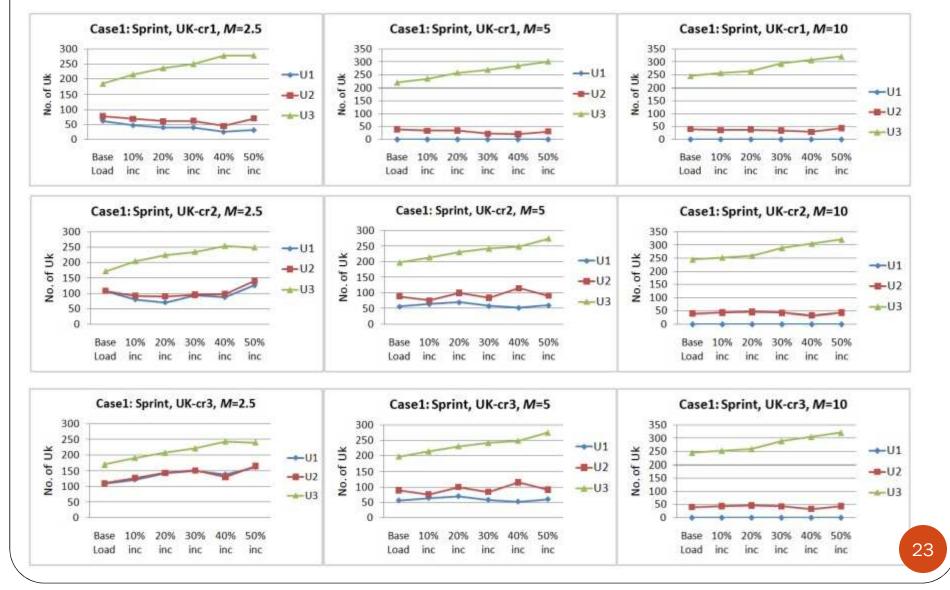
	UK-cr1: 2 $U_k = U_{k+1}$							UK-cr2: 3 $U_k > U_{k+1}$						UK-cr3: 3 $U_k = U_{k+1}$					
	M = 2.5		M	= 5	<i>M</i> =	= 10	<i>M</i> =	= 2.5	M	= 5	<i>M</i> =	= 10	<i>M</i> =	= 2.5	M	= 5	<i>M</i> =	= 10	
	C1	C3	C1	C3	C1	C3	C1	C3	C1	C3	C1	C3	C1	C3	C1	C3	C1	C3	
U_1	M	Н	-		-	-	Н	1	М	Н	Ĵ.	×	Н	1	М	Н		-	
U_2	M	\downarrow	М	Н	Μ	Н	H	\uparrow	Н	Н	М	Н	Н	1	Н	Н	М	H	
U_3	Н	\downarrow	Н	↓	Н	↓	Н	М	Н	М	Н	↓	Н	М	Н	М	Н	↓	

Sprint

		UK-c	r1: 2	$U_k =$	U_{k+1}			UK-c	r2: 3	$U_k >$	U_{k+1}			UK-cr3: 3 $U_k = U_{k+1}$					
	M = 2.5		M	= 5	<i>M</i> =	= 10	<i>M</i> =	= 2.5	M	= 5	<i>M</i> =	= 10	<i>M</i> =	= 2.5	M	= 5	<i>M</i> =	= 10	
-	C1	C3	C1	C3	C1	C3	C1	C3	C1	C3	C1	C3	C1	C3	C1	C3	C1	C3	
U_1	L	¥	- 20	್ಷ	<u> </u>	2	M	\downarrow	L	Μ	-	2	Μ	\downarrow	L	Μ	122	- 2	
U_2	Μ	1	L	1	L	1	Μ	Н	L	1	М	Н	Μ	Н	М	Н	L	1	
U_3	Н	1	Н	↑	Н	1	Н	1	Н	\downarrow	Н	1	Н	1	Н	1	Н	1	

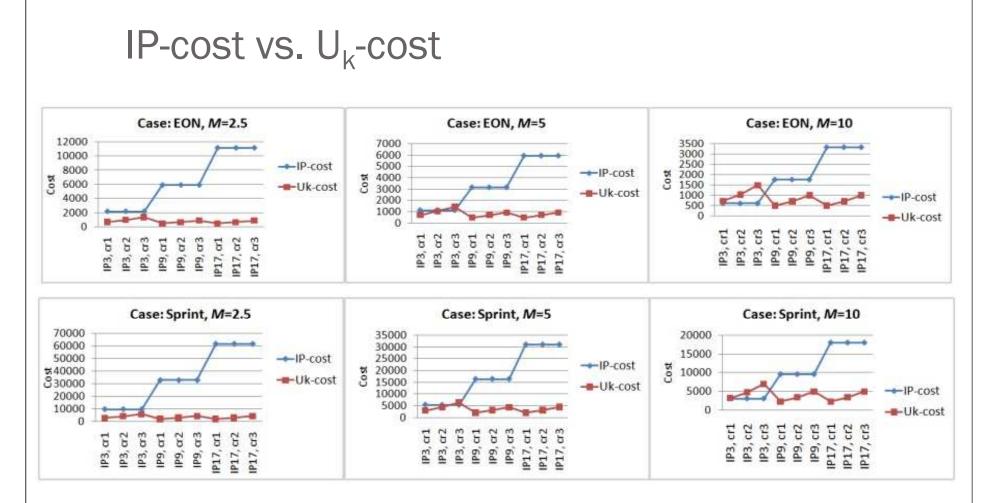
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Effects of Load Increase on No. of U_k (Sprint)



Summary

- *M* above the average demand is the best case that minimizes the cost of the IP/MPLS layer and overall network cost.
- *M* below or equal the average demand is the best case that minimizes the OTN layer cost.
- We note the close cost performance of Case2 and Case3, which indicates that reducing the IP/optical interface by 50% does not have a significant impact on the OTN overall cost for the same Uk-cost. However, it may effect the required signals type and numbers.
- The numbers and types of U_k needed to satisfy the demands are noticeably influenced by three elements: the size of M, and the Uk-cost, and the demand volume.
- The IP unit cost is not as influential as its size *M*.
- The sum of all U_k s, in terms of bandwidth, is close for each UK-cr scenario. What changes is the types and numbers of U_k s used. Difference is usually within 2%.
- Generally, increasing the demands will lead to either more U_1s or U_2s and certainly more U_3s .



The OTN cost is negligible except in Case1 when the IP/optical interface is relatively cheap:

- •M=5, and UK-cr2 and UK-cr3.
- •M=10, all UK-cr scenarios.

Numbers of U_ks Case: EON Case: EON Case: EON 20 Jo .0N 50 45 40 30 20 20 7005430010 No. of U3 No. of UI M=2.5 M=2.5 M=2.5 M=5 M=5 M=5 M=10 M=10 M=10 P=17, UK-cr3 P=17, UK-cr3 IP=9, UK-cr3 P=17, UK-cr3 IP=9, UK-013 P=17, UK-cr1 P=17, UK-cr2 IP=3, UK-cr2 IP=3, UK-cr3 IP=9, UK-cr3 P=17, UK-cr1 P=17, UK-cr2 IP=3, UK-cr3 IP=9, UK-cr2 P=17, UK-cr2 IP=3, UK-cr2 IP=3, UK-cr3 IP=9, UK-cr2 IP=9, UK-0/2 IP=3, UK-cr1 IP=3, UK-0/2 IP=17, UK-cr1 IP=3, UK-cr1 IP=9, UK-cr1 IP=3, UK-cr1 IP=9, UK-cr1 IP=9, UK-cr1 **Case: Sprint** Case: Sprint **Case: Sprint** 120 100 80 60 40 20 150 130 110 90 70 50 30 260 No. of U3 240 220 200 180 No. of U1 M=2.5 No. of U2 M=2.5 M=2.5 M=5 M=5 M=5 M=10 M=10 M=10 160 IP=17, UK-cr3 IP=3, UK-cr3 IP=9, UK-cr2 IP=9, UK-cr3 IP=17, UK-cr1 IP=17, UK-cr2 IP=3, UK-cr3 IP=9, UK-cr2 IP=9, UK-cr3 IP=17, UK-cr1 IP=17, UK-cr2 P=17, UK-cr3 IP=3, UK-cr2 IP=3, UK-cr3 IP=9, UK-cr1 IP=9, UK-cr2 IP=9, UK-cr3 IP=17, UK-cr1 IP=17, UK-cr2 P=17, UK-cr3 IP=3, UK-cr2 IP=9, UK-cr1 IP=3, UK-cr2 IP=9, UK-cr1 IP=3, UK-cr1 IP=3, UK-cr1 IP=3, UK-cr1

 U_1 is not used when M=10 and when M=5 and UK-cr1.

 U_1 is larger when M=2.5

 U_2 is increased as we go from UK-cr1 to UK-cr3.

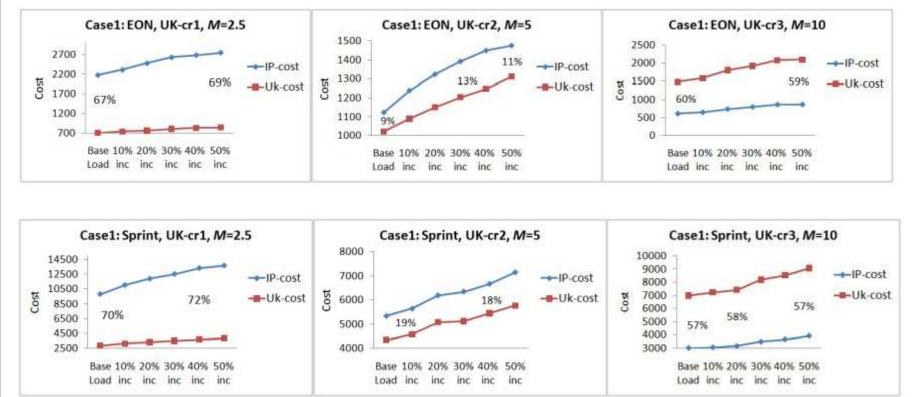
 U_2 is lower when M=10.

 U_2 is increased as we go from Case1 to Case2 and Case3.

 U_3 is increased as we increase M.

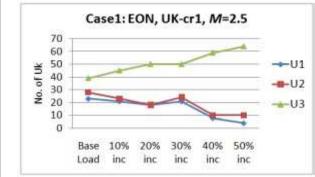
 U_3 is decreased as we go from Case1 to Case2 and Case3.

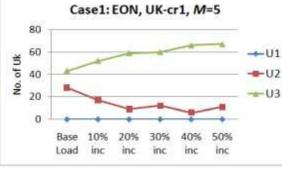


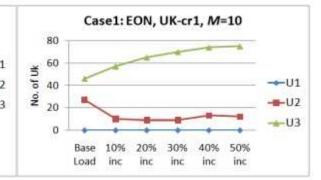


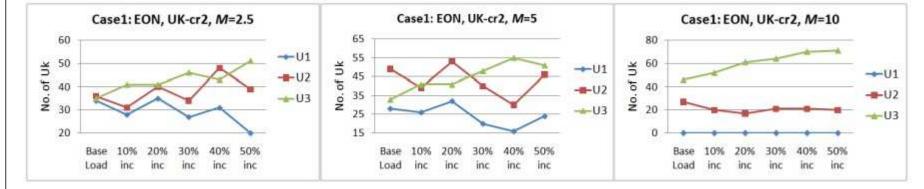
The gap between the IP-cost and Uk-cost remains within \pm 2%.

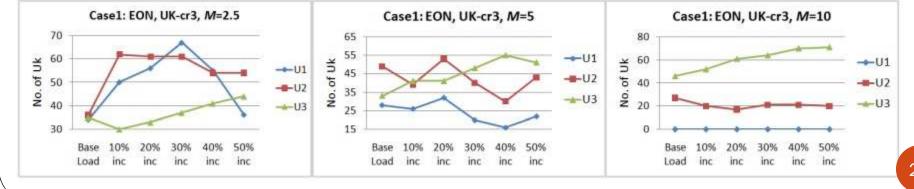
Effects of Load Increase on No. of U_k (EON)











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